An Entropic Argument for the **Swampland Distance Conjecture**

Instituto de Física Teórica UAM/CSIC, Madrid

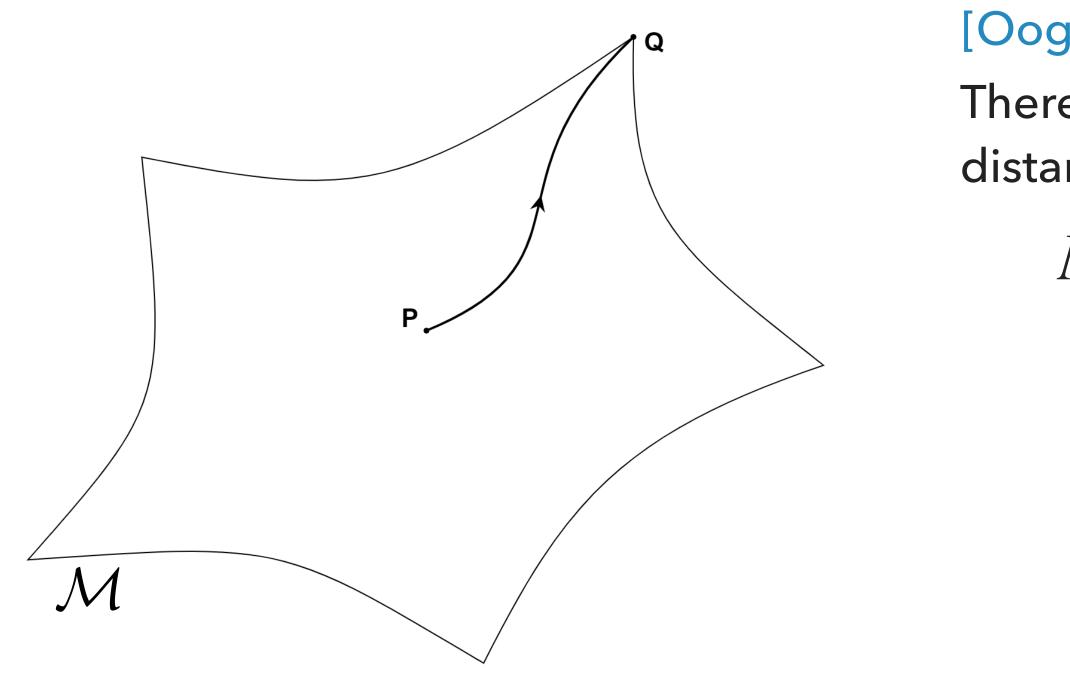


Based on ongoing work with A. Castellano, A. Herráez and L.E. Ibañez

21st String Phenomenology Conference, Liverpool, 05/07/2022

José Calderón Infante

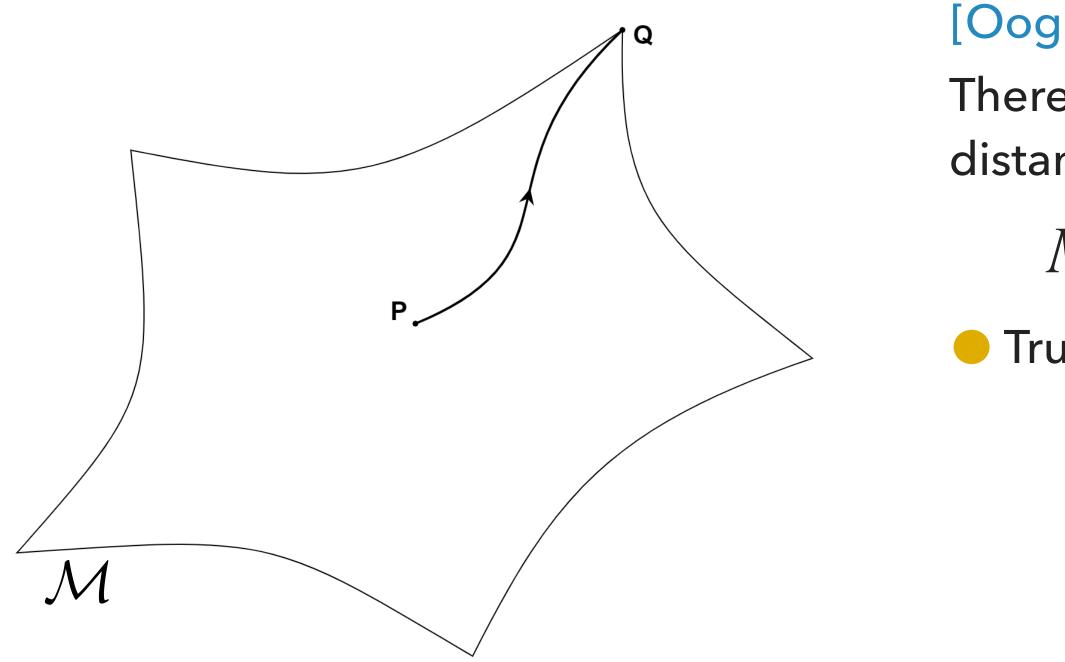
Instituto de Instituto de Física Teórica UAM-CSIC



[Ooguri, Vafa '06]

There is an infinite tower of states becoming light at infinitedistance points in moduli space:

$$M_{tower} \sim e^{-\lambda \Delta}$$
 when $\Delta \to \infty$ $(M_{Pl} = 1)$

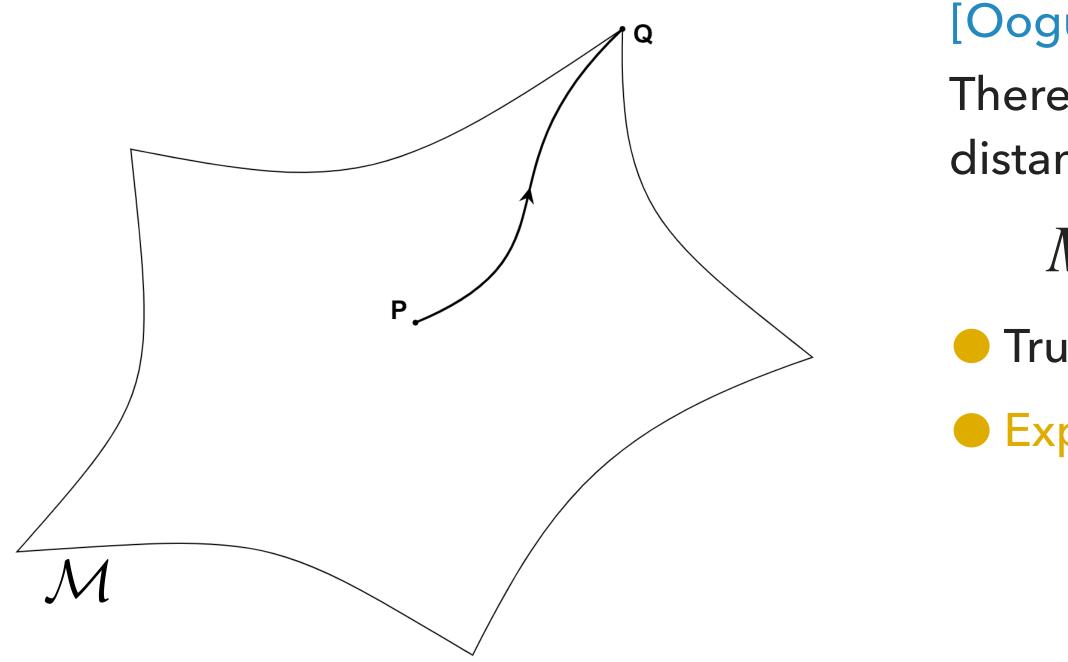


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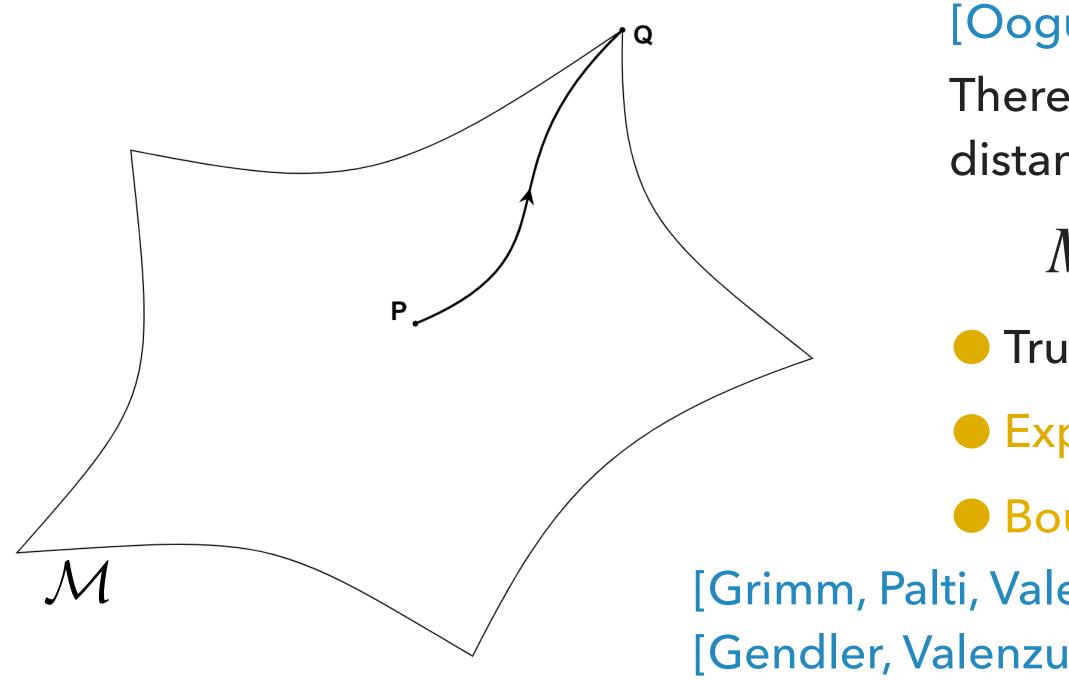
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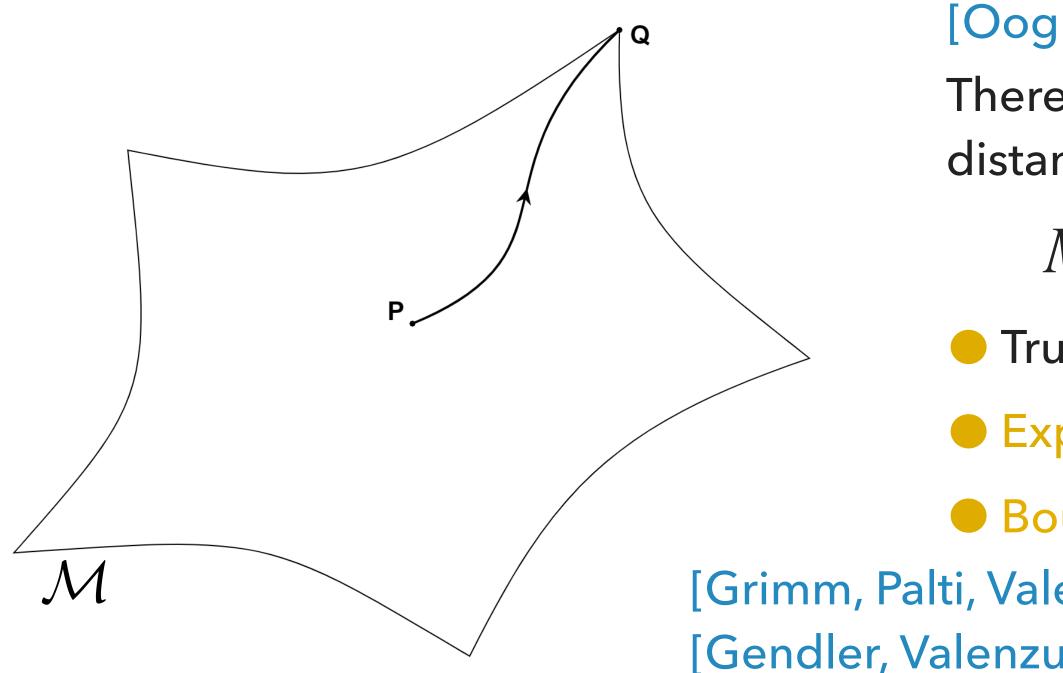
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- \bullet Bounds on the exponential decay rate λ
- [Grimm, Palti, Valenzuela '18] [Andriot, Cribiori, Erkinger '20]
- [Gendler, Valenzuela '21] [Etheredge, Heidenreich, Kaya, Qiu, Rudelius '22]





Lots of evidence...

- String theory:
 - [Grimm, Palti, Valenzuela '18] [Lee, Lerche, Weigand '18] [Marchesano, Wiesner '19] [Font, Herráez, Ibáñez '19] ...
- AdS/CFT:
 - [Baume, JCI '20] [Perlmutter, Rastelli, Vafa, Valenzuela '20]

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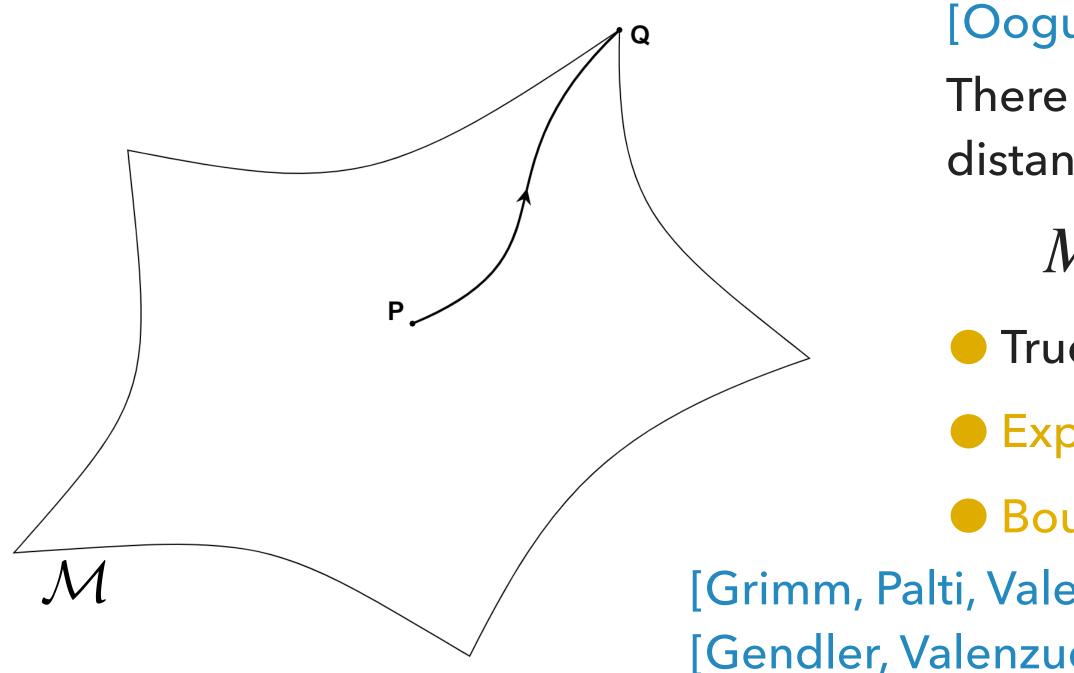
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...but no general bottom-up rationale!

See [Hamada, Montero, Vafa, Valenzuela '21] for an argument in the presence of weakly coupled U(1) at infinite distance

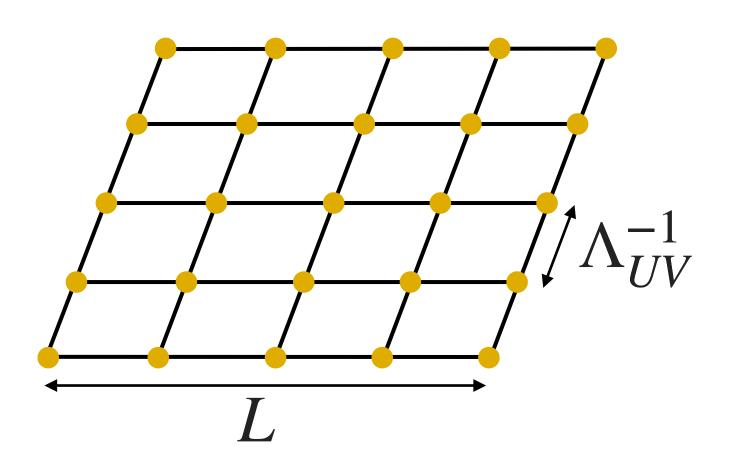


Covariant entropy bound [Bousso 1999]



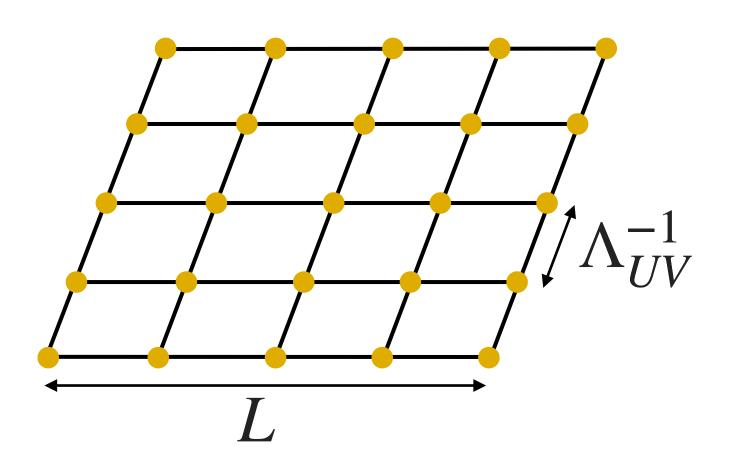
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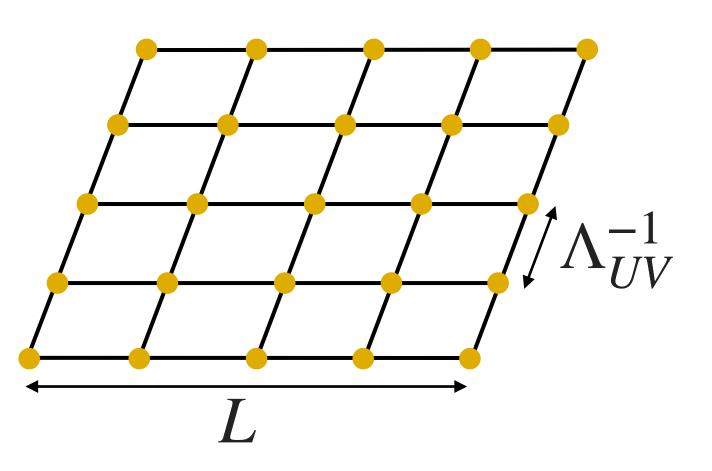


Covariant entropy bound [Bousso 1999]

 $S \leq S_{BH} \longrightarrow (\Lambda_{UV}L)^{D-1} \leq L^{D-2} \longrightarrow \Lambda_{UV} \leq L^{-\frac{1}{D-1}}$



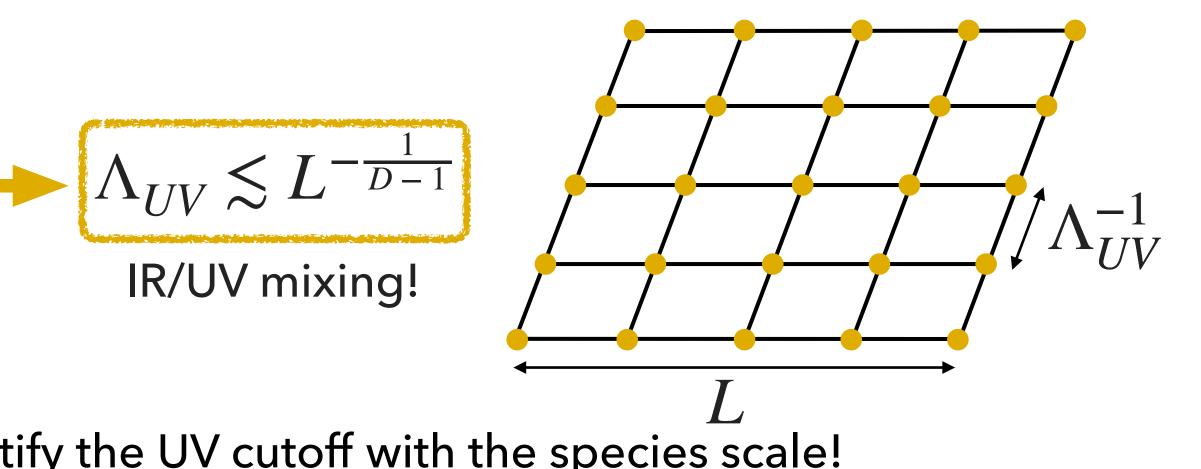
IR/UV mixing!



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[Castellano, Herráez, Ibañez '21]: In QG, identify the UV cutoff with the species scale! $\Lambda_{UV} \sim M_{tower}^{p/(D-2+p)}$ where p parametrizes the density of the tower

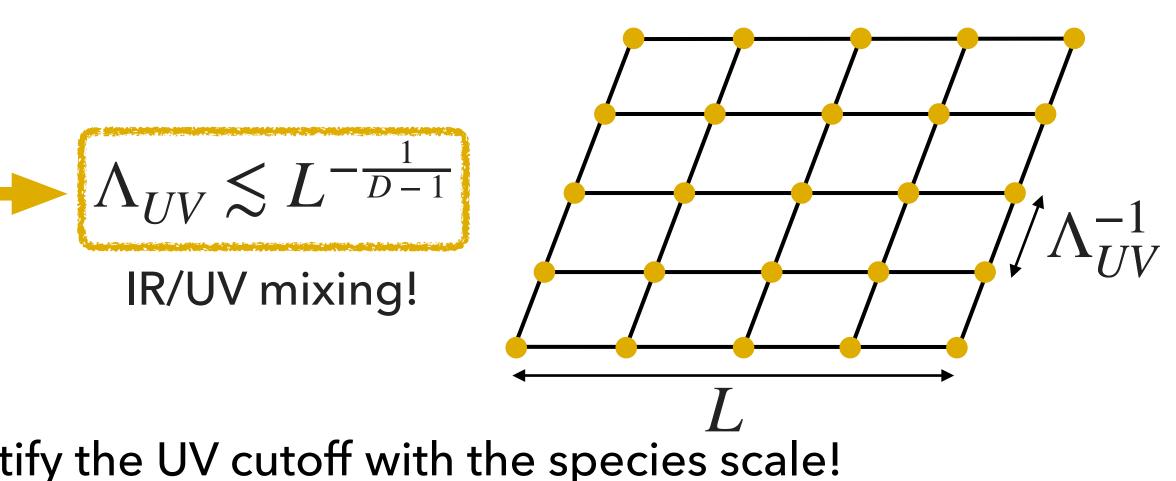


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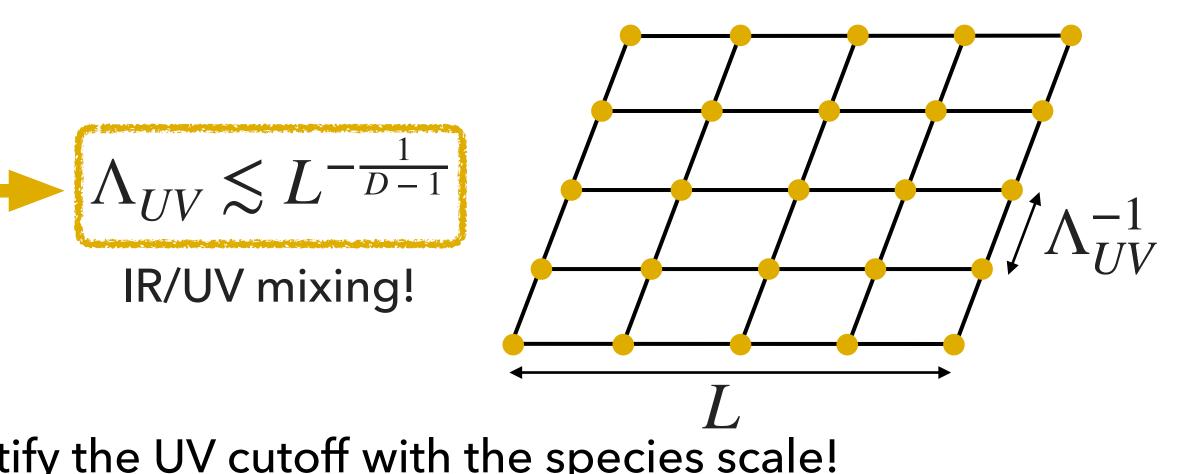
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Can we also motivate the Swampland Distance Conjecture from this perspective 🧹

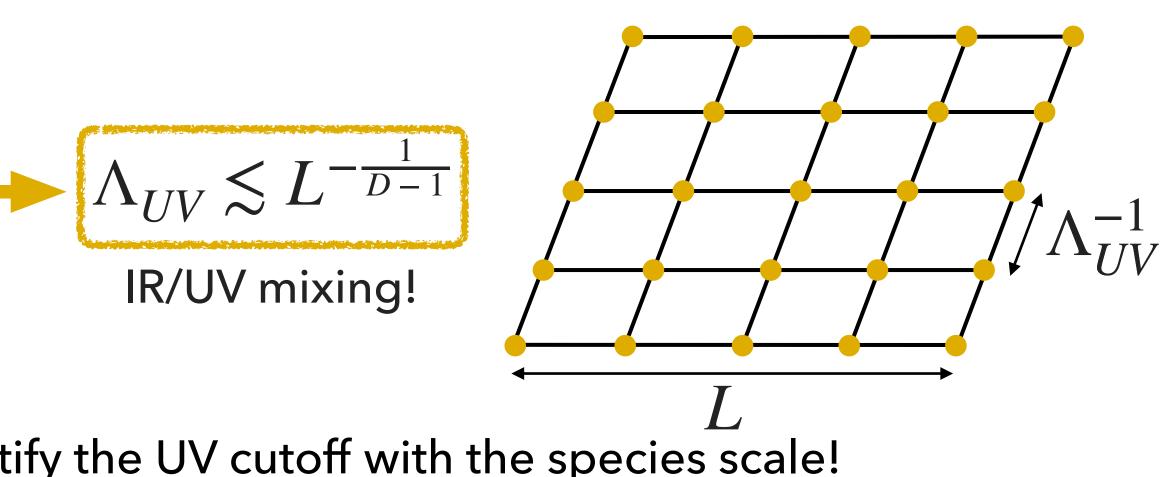


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 - **Cobordism Distance Conjecture:** All infinite field distance limits in QG can be explored in this way! ... In the spirit of the Distant Axionic String Conjecture [Lanza, Marchesano, Martucci, Valenzuela '20 '21]







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 - **Scaling relations:** $L \sim e^{-a\Delta} |R| \sim e^{2a\Delta}$ (close to the ETW-brane)







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$$e^{2a\Delta}$$
 (close to the ETW-brane)

Close to what we want! Not yet because we need this for $L \to \infty$







[Angius, JC, Delgado, Huertas, Uranga '22]: Bottom-up approach + more examples!

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Bottom-up approach: Local dynamical cobordisms

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 - (See talk by Jesús Huertas)



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Bottom-up approach: Local dynamical cobordisms

More examples: Dp-branes as dynamical cobordisms

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- [Angius, Delgado, Uranga '22]: Bubbles of nothing and dimension changing bubbles as (See talk by Matilda Delgado) dynamical cobordisms!



We want a bottom-up argument for the SDC ----- Bottom-up approach

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• Action:
$$S = \int d^D x \sqrt{-g} \left(\frac{1}{2}\right)$$

 $\frac{1}{2}R - \frac{1}{2}G_{ab}\partial_{\mu}\phi^{a}\partial^{\mu}\phi^{b}\right)$

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Trajectory in moduli space!

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Trajectory in moduli space!

$$(D-1)A'\phi'^{c}=0$$

Geodesic equation (non-affine parameter!)

Relation between moduli space and geometry!

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Equations of motion:

Moduli: $\phi''^{c} + \Gamma^{c}_{ab} \phi'^{a} \phi'^{b} + (D-1)A' \phi'^{c} = 0 \longrightarrow$ Geodesic equation (non-affine parameter!) Gravity: $\begin{cases} (D-2)(D-1)A^{'2} = |\phi'|^2 & \text{Relation between moduli} \\ A'' + (D-1)A^{'2} = 0 & \text{Instantian of control} \end{cases}$

$$\phi^a = \phi^a(L)$$

Trajectory in moduli space!

Just gives a (satisfied) compatibility condition

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Solution(s) Moduli: $\phi^{a}(L) \rightarrow \text{Any geodesic trajectory!}$ $\Delta(L) = \sqrt{\frac{D-2}{D-1}} \log\left(\frac{L}{L_{0}}\right)$

$$\frac{\overline{2}}{1}\log\left(\frac{L}{L_0}\right)$$

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Solution(s) Moduli: $\phi^{a}(L) \rightarrow \text{Any geodesic trajectory!}$ $\Delta(L) = \sqrt{\frac{D-2}{D-1}} \log\left(\frac{L}{L_{0}}\right) - \frac{1}{D-1} \log\left(\frac{L}{L_{0}}\right) - \frac{1}{D-1}$ Metric: $\begin{cases} L \to \infty \longrightarrow \text{Flat space limit} \\ L \to 0 \longrightarrow \text{ETW-brane singularity satisfying scaling relations} \\ & \text{Expected to be resolved to walls of nothing} \end{cases}$

EFT realization of the Cobordism Distance Conjecture in moduli space

$$\frac{\overline{2}}{1} \log\left(\frac{L}{L_0}\right) \longrightarrow L \sim e^{\sqrt{\frac{D-1}{D-2}}\Delta}$$



Apply the covariant entropy bound to these dynamical cobordism backgrounds!

Dynamical Cobordisms and the CEB

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• Covariant entropy bound: $\Lambda_{UV} \lesssim L^{-\frac{1}{D-1}}$

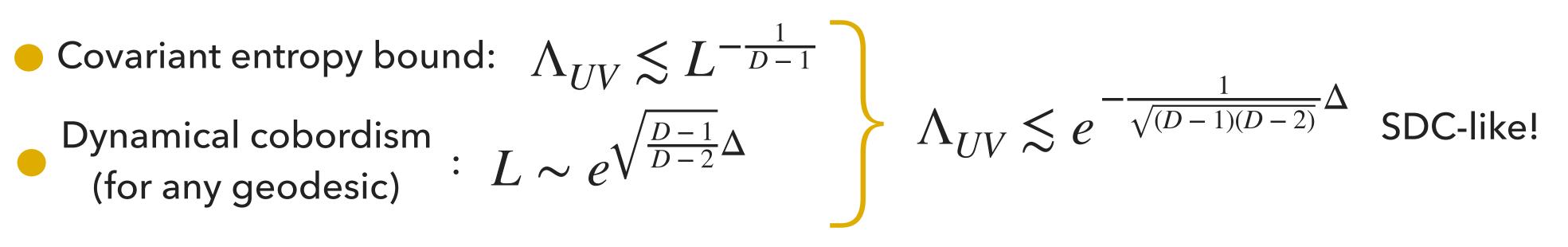
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- Covariant entropy bound: $\Lambda_{UV} \lesssim$

Dynamical cobordism : $L \sim e^{\sqrt{\frac{D-1}{D-2}}\Delta}$ (for any geodesic)

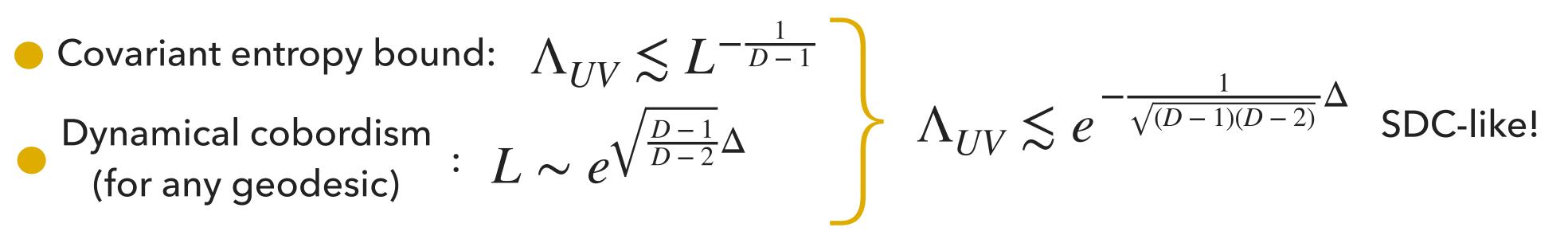
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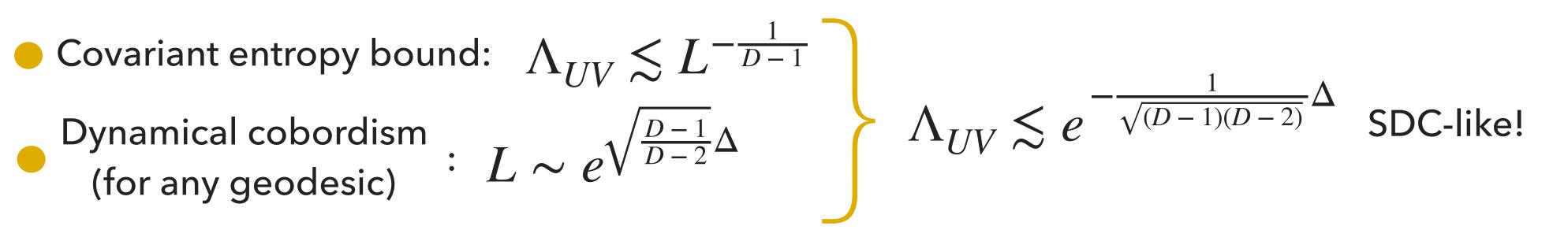
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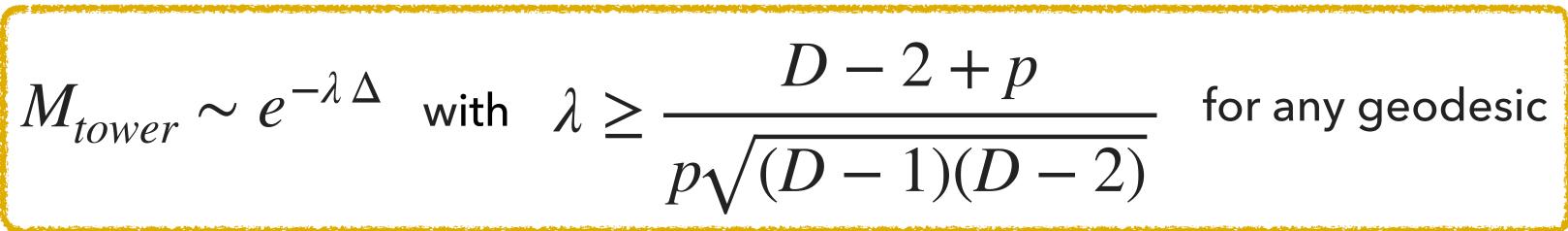


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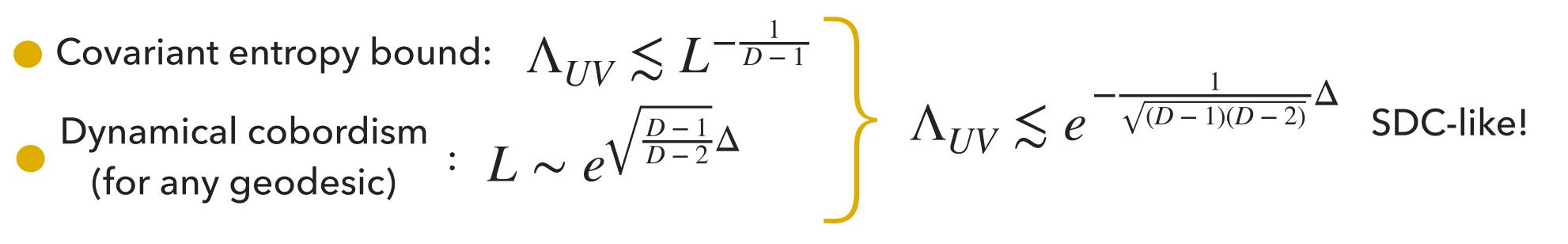


$$[1]: \Lambda_{UV} \sim M_{tower}^{p/(D-2+p)}$$



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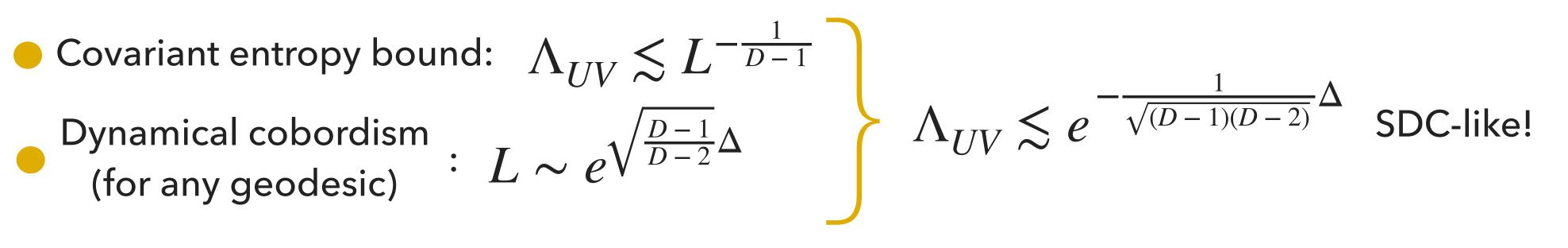
Swampland $M_{tower} \sim e^{-\lambda \, \Delta} \quad \text{with} \quad \lambda \geq \frac{D-2+p}{p \sqrt{(D-1)(D-2)}} \quad \text{for any geodesic}$ Distance Conjecture

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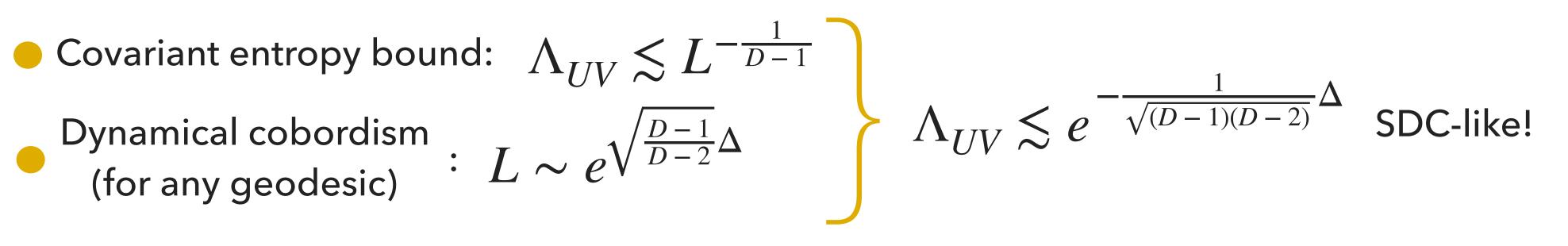
Swampland $\frac{D-2+p}{(D-1)(D-2)}$ for any geodesic Distance Conjecture

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Swampland $\frac{D-2+p}{(D-1)(D-2)}$ for any geodesic Distance Conjecture

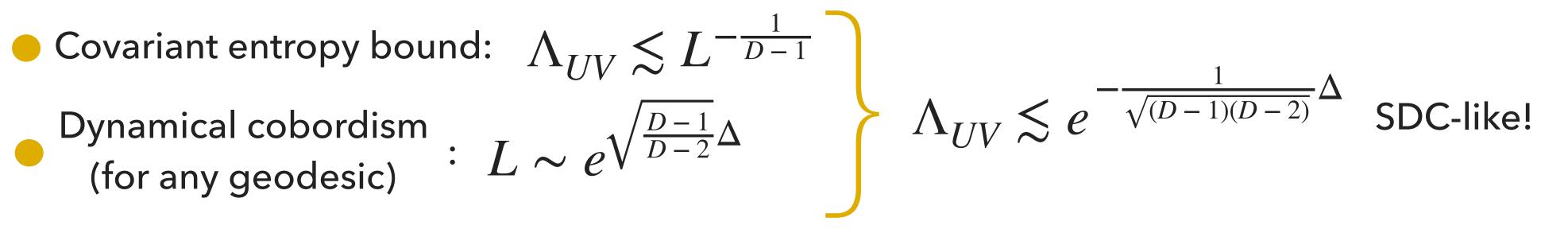
Apply the covariant entropy bound to these dynamical cobordism backgrounds!

Following [Castellano, Herráez, Ibañez ' identify UV cutoff with species scale

$$M_{tower} \sim e^{-\lambda \Delta}$$
 with $\lambda \geq \frac{D-2+p}{p\sqrt{(D-1)(D-2)}}$

True for every geodesic exploring infinite distance

Exponential behaviour with the moduli space distance



for any geodesic

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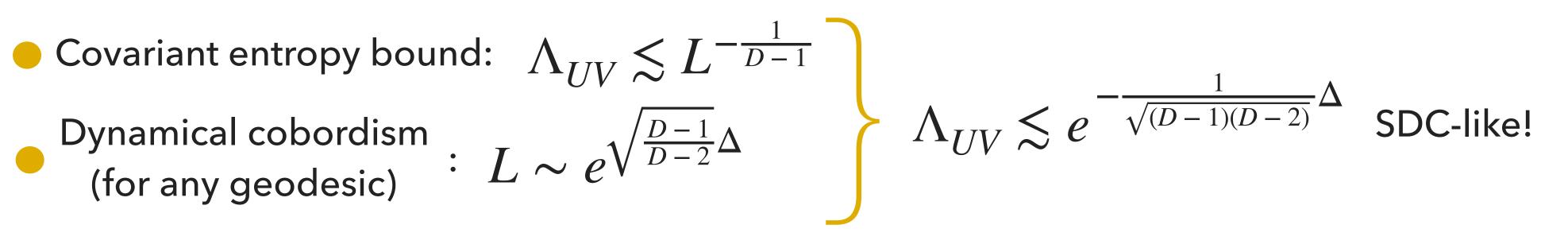
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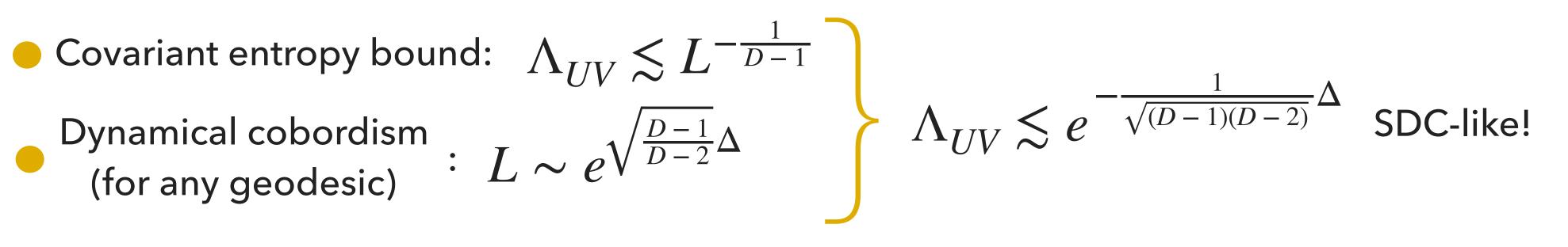
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 \bullet Bounds on the exponential decay rate λ



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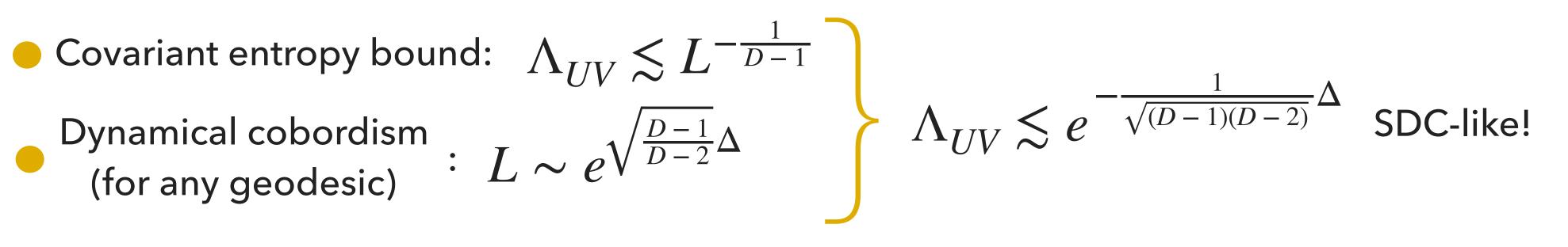
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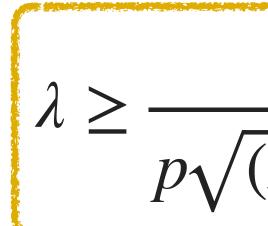
Exponential behaviour with the moduli space distance

• Bounds on the exponential decay rate λ



$$[121]: \Lambda_{UV} \sim M_{tower}^{p/(D-2+p)}$$

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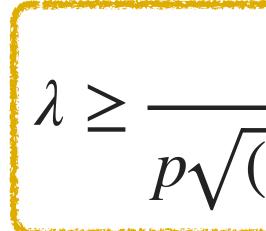
 $\lambda \geq \frac{D-2+p}{p\sqrt{(D-1)(D-2)}}$

 $\lambda \geq \frac{1}{p\sqrt{r}}$

Depends on the density of the tower

$$D - 2 + p$$

 $\overline{(D - 1)(D - 2)}$

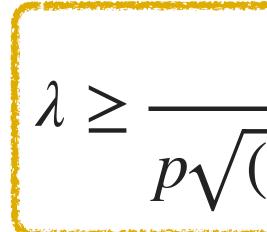


Depends on the density of the tower

• A single KK tower: $p = 1 \rightarrow \lambda \ge$

$$\lambda \geq \frac{D-2+p}{p\sqrt{(D-1)(D-2)}}$$

$$\frac{D-1}{D-2}$$



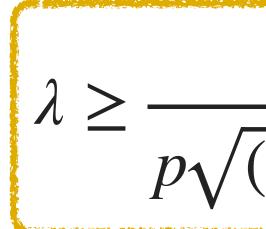
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Saturated in circle compactifications



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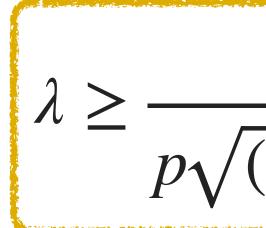
• Emergent string: $p \rightarrow \infty \rightarrow \lambda \geq 0$

$$\lambda \geq \frac{D-2+p}{p\sqrt{(D-1)(D-2)}}$$

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Saturated in circle compactifications

$$\frac{1}{\sqrt{(D-1)(D-2)}}$$



Depends on the density of the tower

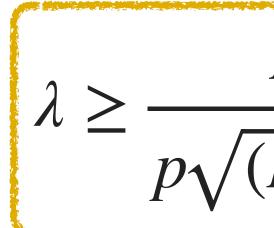
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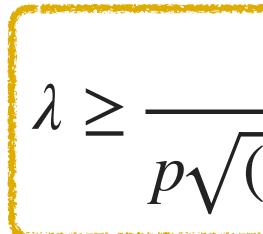
Saturated in circle compactifications

• Emergent string: $p \to \infty \longrightarrow \lambda \ge \frac{1}{\sqrt{(D-1)(D-2)}}$ Proposed in relation to TCC in [Andriot, Cribiori, Erkinger '20]



Is it respected in string theory

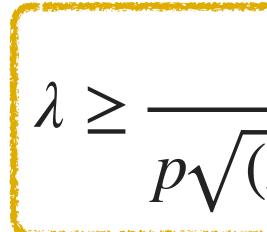
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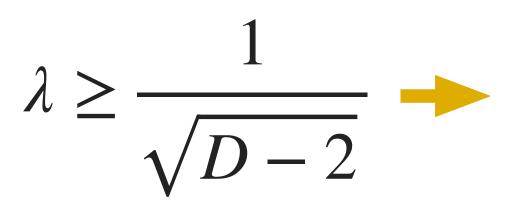


$$D - 2 + p$$

 $\overline{D - 1}(D - 2)$

- Is it respected in string theory **?**
- Compare with [Etheredge, Heidenreich, Kaya, Qiu, Rudelius '22]:

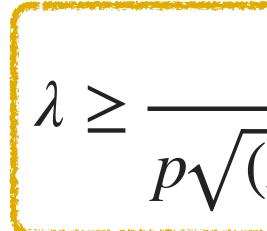


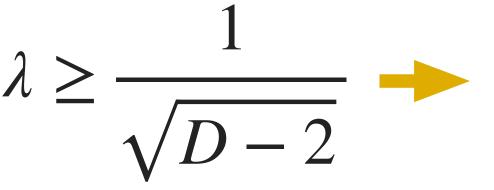


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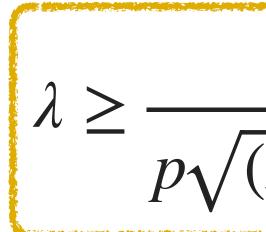


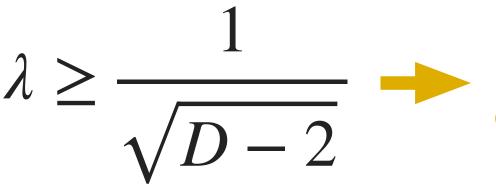
In examples they find:

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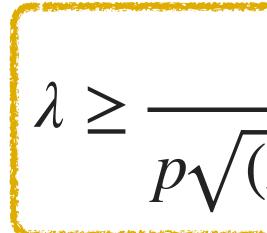
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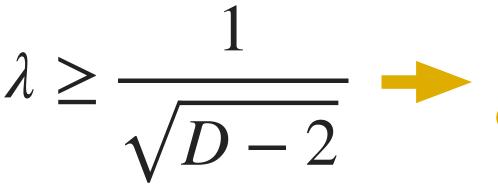
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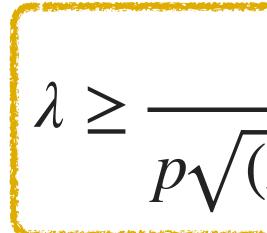


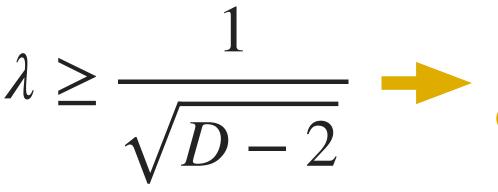
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 $\Lambda_{UV} \gtrsim \Lambda_{IR} \sim L^{-1}$

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$$\lambda \leq \frac{D-2+p}{p} \sqrt{\frac{D-1}{D-2}}$$

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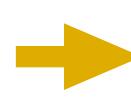
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- Is it respected in string theory **?**
- Compare with [Etheredge, Heidenreich, Kaya, Qiu, Rudelius '22]:
 - Stronger than our bound and respected in all examples



Covariant entropy bound

+



Dynamical cobordisms

Bottom-up argument in support of the Swampland Distance Conjecture

Covariant entropy bound Dynamical cobordisms

- True for every geodesic exploring infinite distance
- Exponential behaviour with the moduli space distance
- Bounds on the exponential decay rate λ

Bottom-up argument in support of the Swampland Distance Conjecture

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$$\lambda \geq \frac{D-2+p}{p\sqrt{(D-1)(D-2)}}$$

Bottom-up argument in support of the Swampland Distance Conjecture



Covariant entropy bound Dynamical cobordisms



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Bottom-up argument in support of the Swampland Distance Conjecture

Depends on density of the tower!

Satisfied in known string theory examples!

Covariant entropy bound Swampland Distance Conjecture Dynamical cobordisms True for every geodesic exploring infinite distance Exponential behaviour with the moduli space distance Bounds on the exponential decay rate λ Depends on density of the tower!

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Improved understanding of CEB cutoff, what about CKN bound

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Adding a potential, relation with dS conjecture

Thank you for your attention